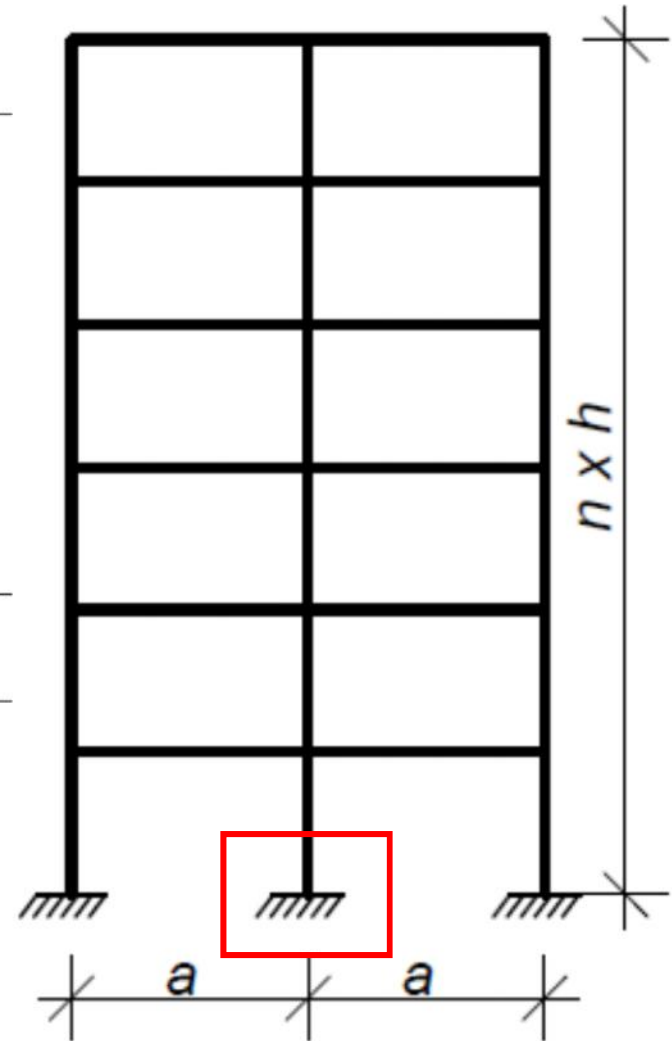
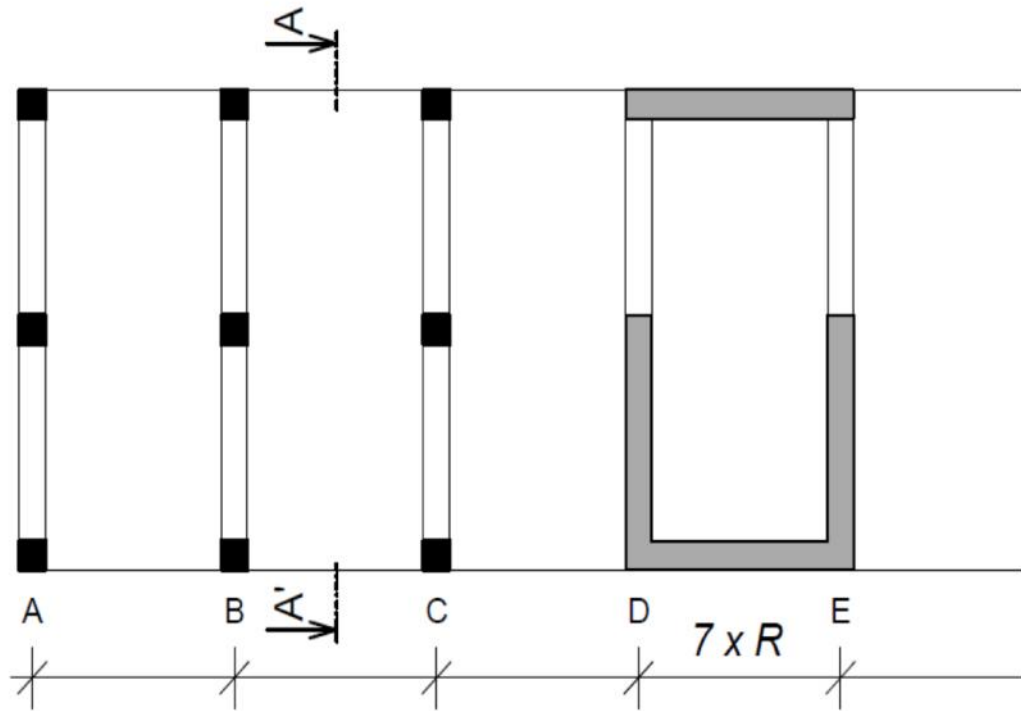
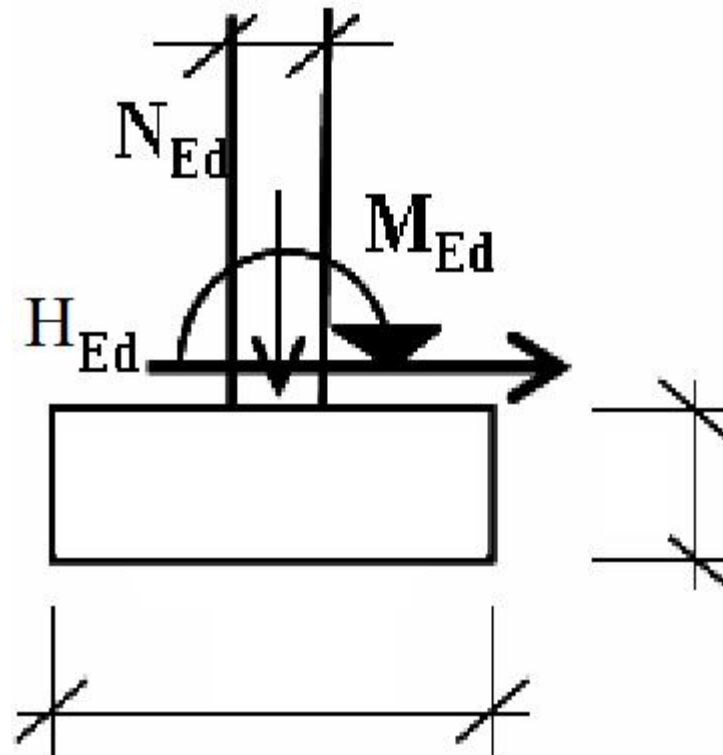


7th task: Pad footing



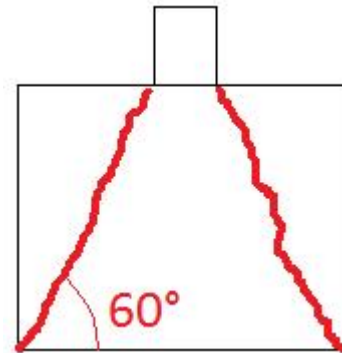
Pad footing

- Design of dimensions
- Design of plain concrete pad footing
- Design of reinforced concrete pad footing
- Drawings (shape and reinforcement of footings)

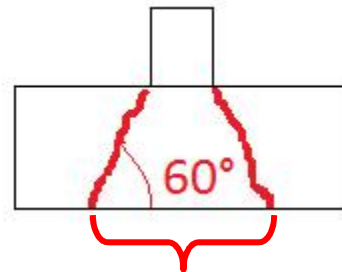


Difference between PC/RC footing

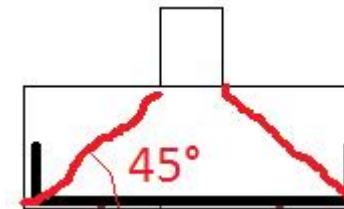
- Difference is in load-bearing angle
- For plain concrete, load-bearing angle is approximately 60°



- For reinforced concrete, the value is $30-45^\circ \Rightarrow$ footing can be thinner, but you have to use the reinforcement



Without reinforcement,
only this part is effective



Reinforcement changes
load-bearing angle

Horizontal dimensions

- N_{Ed} , H_{Ed} , M_{Ed} – maximum values in the foot of inner column from 1st task
- Same for plain concrete and reinforced concrete footing
- Self-weight of the footing can be estimated as

$$G_0 = 0.1N_{Ed}$$


- Design strength of subsoil (sandy gravel)

$$R_d = 400 \text{ kPa}$$

- Eccentricity of loading

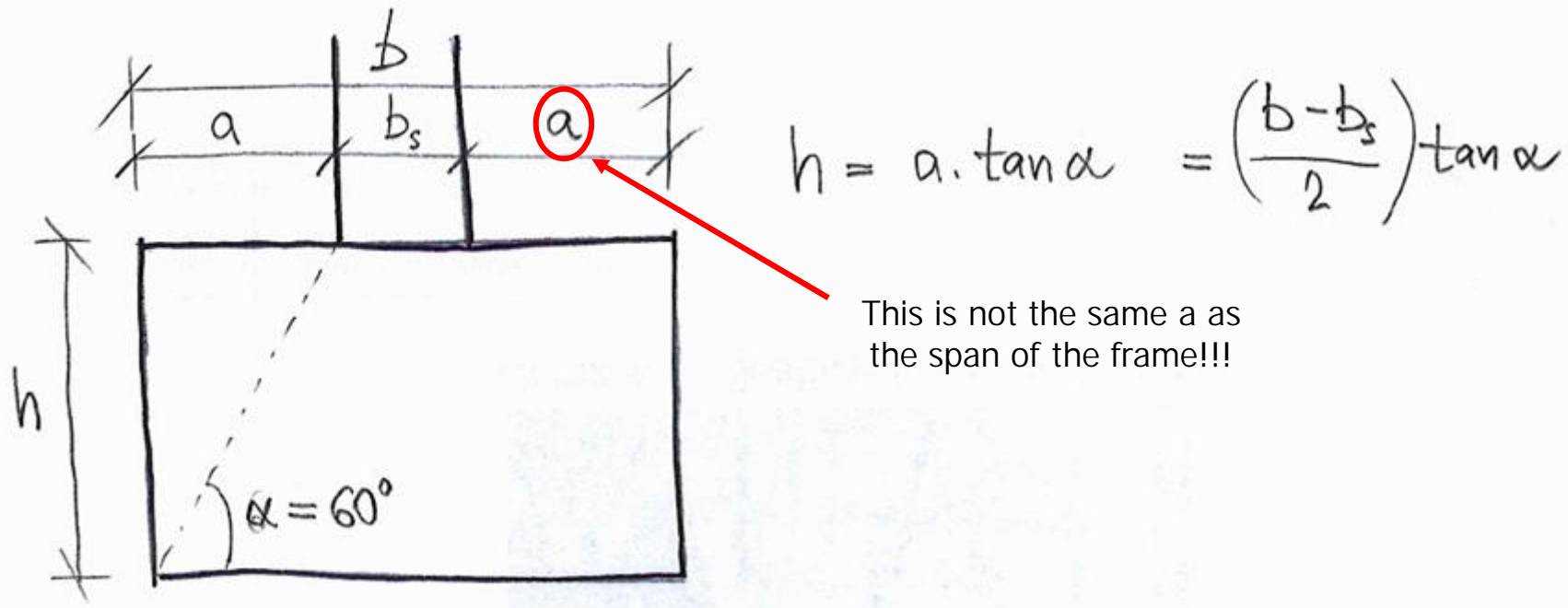
$$e = \frac{M_{Ed} + H_{Ed} \cdot h}{N_{Ed} + G_0}$$

Height of the footing



Horizontal dimensions

- The height of the footing is unknown, but we can estimate it from the assumption $\alpha = 60^\circ$



Horizontal dimensions

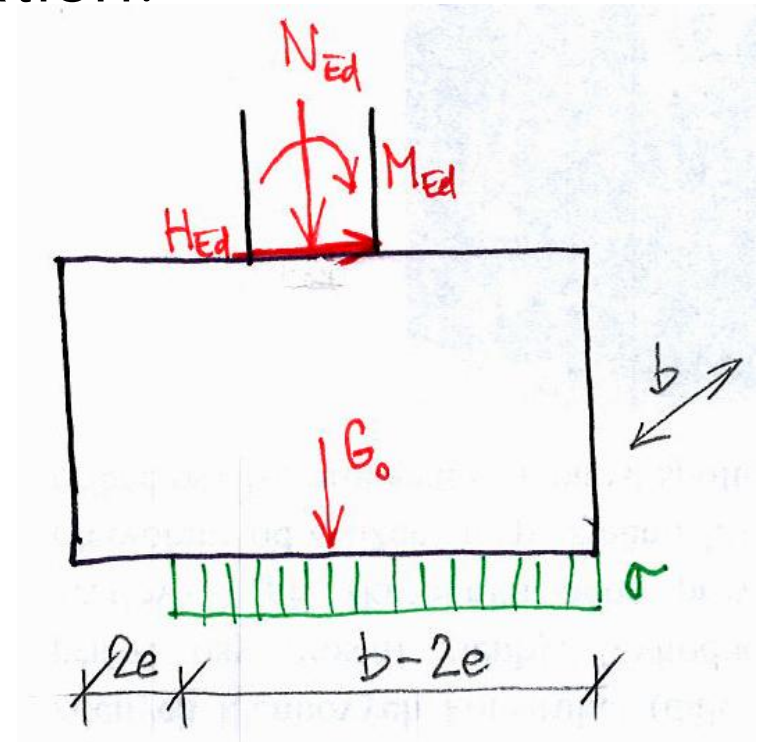
- Effective area of the footing:

$$\dagger = \frac{N_{Ed} + G_0}{A_{eff}} \leq R_d \quad \Rightarrow \quad A_{eff} \geq \frac{N_{Ed} + G_0}{R_d}$$

- Width of the footing b can be obtained from quadratic equation:

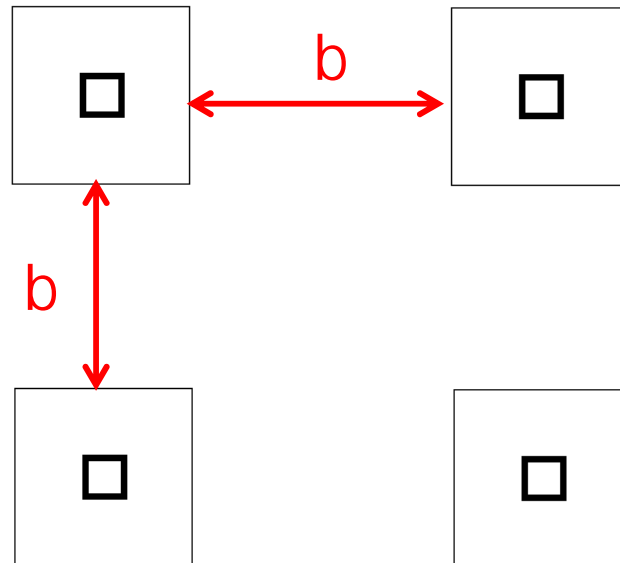
$$A_{eff} = b \cdot (b - 2e)$$

- Quadratic equation \Rightarrow two roots, only one of them will make physical sense



Horizontal dimensions

- Calculate real value of b – round to 50 mm
- For further calculations, calculate estimations of h , e and A_{eff}
- Check clear distance of two adjacent pad footings – should be at least b , otherwise strip footings or foundation slab should be used



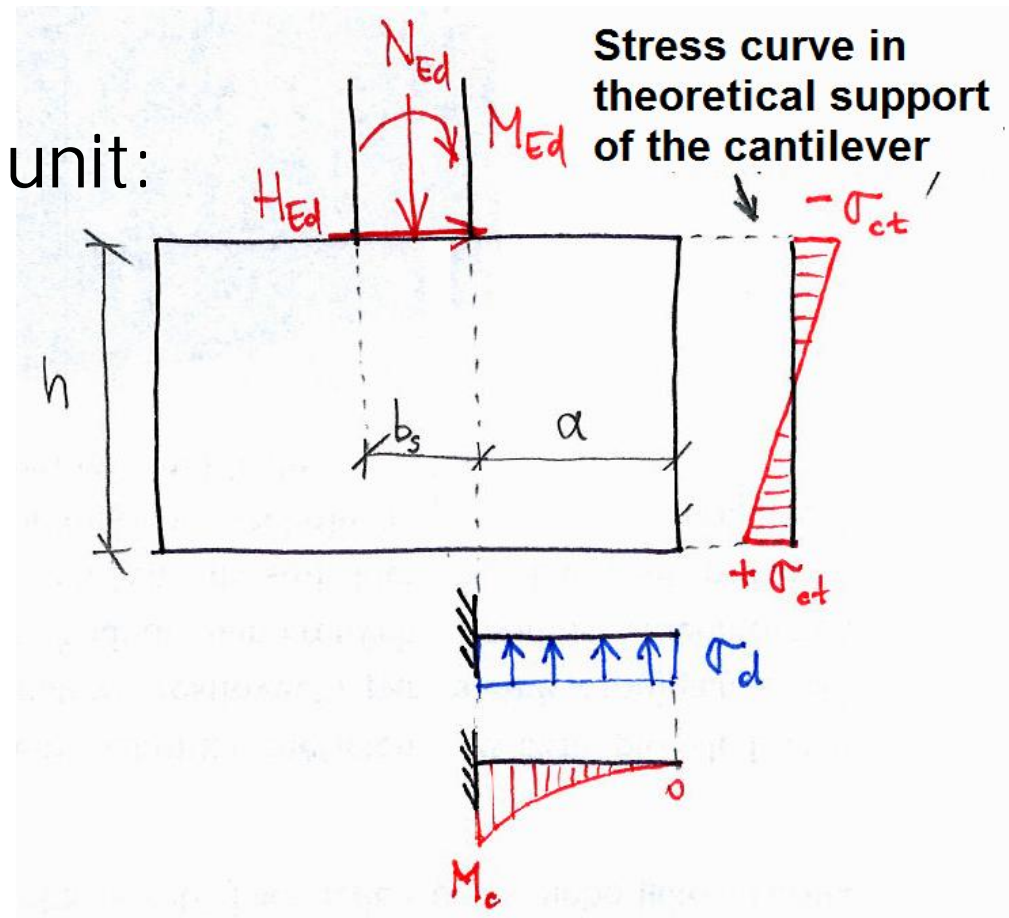
Plain concrete footing

- Footing can be modelled as cantilever of length a
- Design stress that bends the cantilever:

$$\tau_d = \frac{N_{Ed}}{A_{eff}}$$

- Bending moment per unit:

$$m_c = \frac{1}{2} \tau_d a^2 \quad [\text{kNm/m}]$$



Plain concrete footing

- Tensile strength of concrete:

Factor expressing the effect of additional shear stresses, 0.8

Characteristic tensile strength of concrete, see table (1st task)

$$f_{ctd} = \frac{r_{ct} f_{ctk,0.05}}{\chi_c}$$

Partial factor, 1.5

- Real height of the footing (round to 50 mm):

$$h \geq \frac{a}{0.85} \sqrt{\frac{3t_d}{f_{ctd}}}$$

Effect of shear

- Calculate real values of e and A_{eff}

Plain concrete footing

- Check of the footing – 2 conditions:
 1. Tensile stress < tensile strength of concrete

$$\tau_{ct} = \frac{m_c}{W} = \frac{m_c}{\frac{1}{6}bh^2} \leq f_{ctd}$$

Here we take $b = 1$ m as we calculated m_c per 1 m

2. Stress under the footing < strength of subsoil

$$\tau = \frac{N_{Ed} + G}{A_{eff}} \leq R_d$$

Self-weight of the footing (NOT the estimated G_0), calculate G from real dimensions of your footing

- If any of the conditions is not checked, the footing should be redesigned (in the homework, just propose the change, do not recalculate)

Reinforced concrete footing

- Choose $h = a$ (load-bearing angle 45°)
- Calculate e , A_{eff} and σ_d (different values than plain concrete footing)
- Reinforced concrete footing can be modelled as cantilever with the length of:

$$l_c = a + 0,15b_s$$

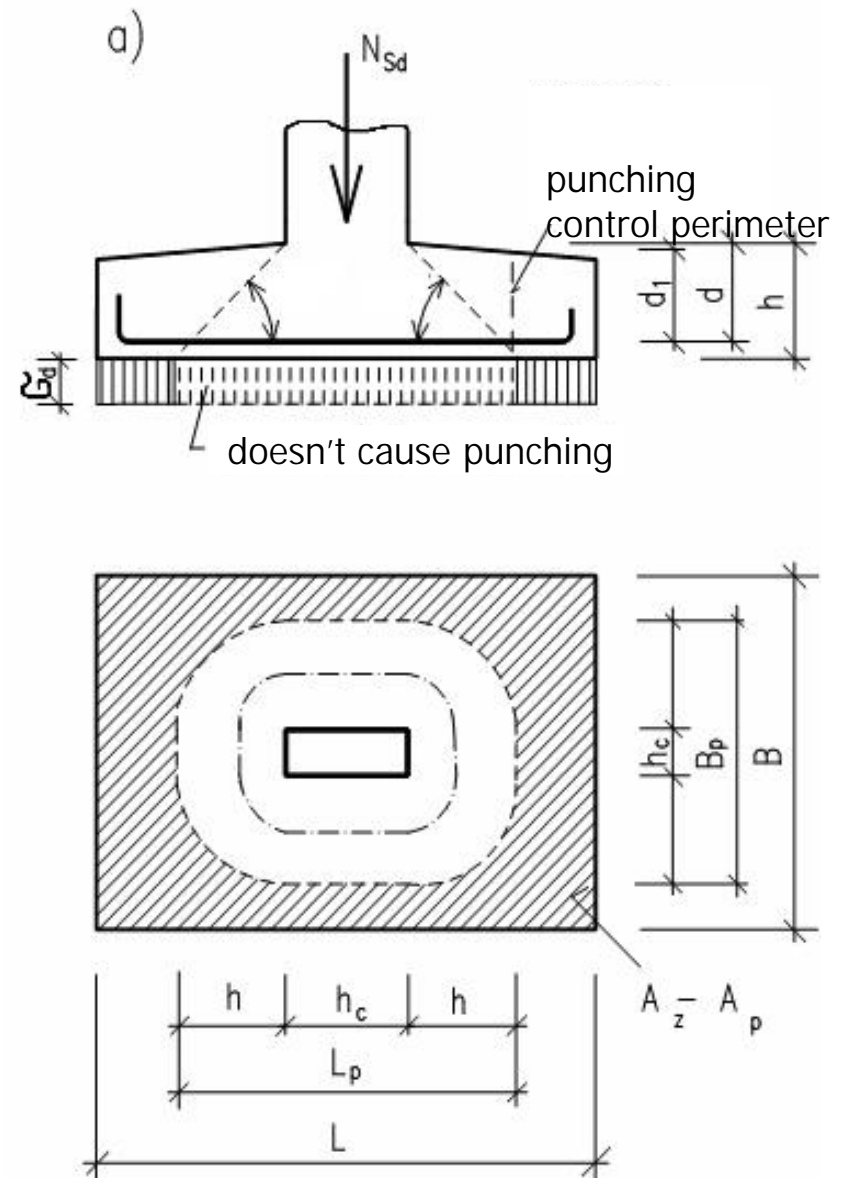
- Calculate m_c (the same formula as for plain concrete footing, but use l_c instead of a)

Reinforced concrete footing

- Design and check bending reinforcement – calculation procedure is the same as for slabs or beams
- Value of m_c is in kNm/m => use $b = 1$ m in calculation of reinforcement !!!
- Use cover depth 50 mm, 14 – 20 mm rebars (use bigger diameters only if necessary)
- + Check the stress under the footing (2nd condition for plain concrete footing)

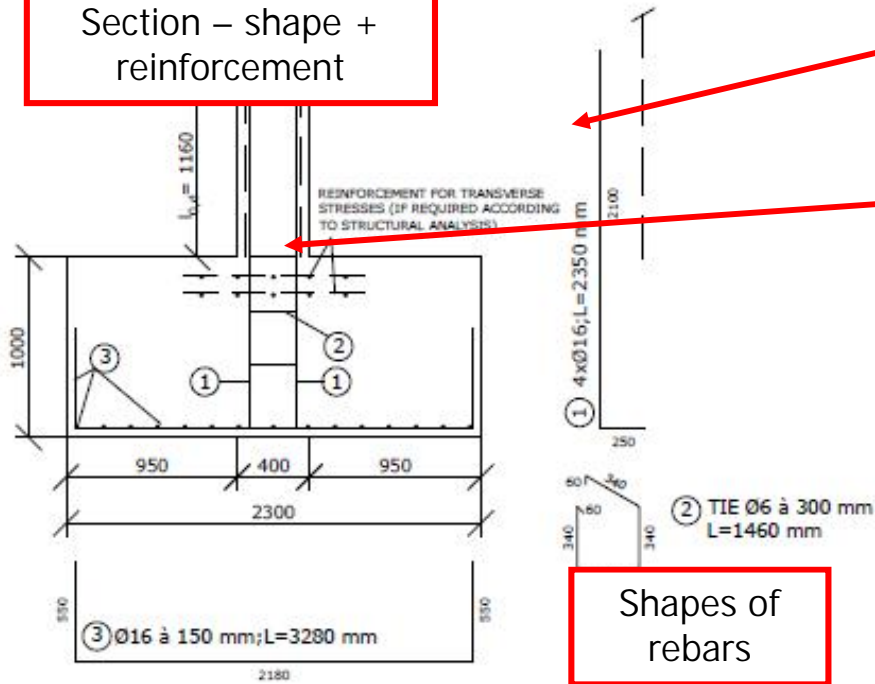
Reinforced concrete footing

- If load-bearing angle is lower (close to 30°), punching reinforcement may be required
- One has to look for critical position of control perimeter $0,5d \leq r_u \leq 2d$ where $v_{Rd,i} - v_{Ed,i}$ is minimal (iteration)
- Eventually, punching reinforcement should be designed in this perimeter



Drawings

Section – shape + reinforcement



Shapes of rebars

Starting reinforcement for columns (same as column reinforcement)

Ties – see column reinforcement, middle part

Calculate the amount of reinforcement. Bulk density of steel is 7850 kg/m^3

List of reinforcement

LIST OF REINFORCEMENT					
Item	Rebar	Length	Pieces	Total length of rebars (m)	
	Ø16			18,80	
3	Ø16	3 280	30	98,40	
Total length (m)				4,38	107,20
Unit weight (kg/m)				0,22	1,58
Weight of steel (kg)				0,97	184,94
Total weight of steel					185,91

Notes

MATERIALS:
CONCRETE C20/25
STEEL B500

COVER DEPTH 50 mm

AXIAL DIMENSIONS OF REBARS

Drawing title

REINFORCEMENT DRAWING	19/11/12
Checked by: prof. KLOEGER	1:25

TWO DRAWINGS – one for plain concrete and one for reinforced concrete pad footing